

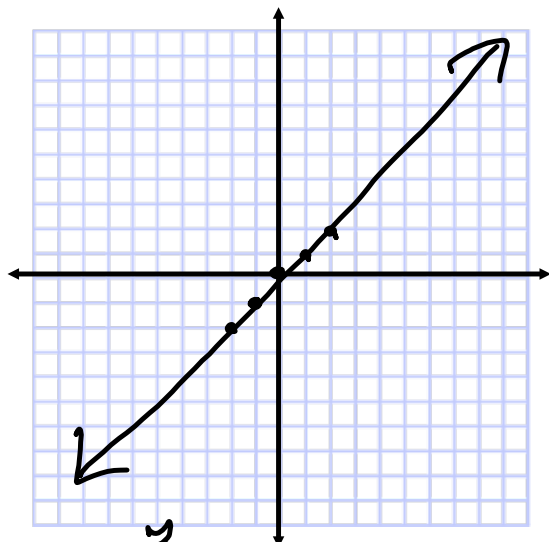
## 1.2 Parent Functions

### Objectives:

#### 1. I can graph parent functions

- Linear
- Absolute Value
- Exponential
- Quadratic
- Cubic
- Square Root
- Cube root

## Linear



$$f(x) = x$$

x	y
-2	-2
-1	-1
0	0
1	1
2	2

Equation:  $f(x) = x$   
 $y = x$

Domain  $(-\infty, \infty)$

Range  $(-\infty, \infty)$

Increasing  $(-\infty, \infty)$

Decreasing *never*

Left End Behavior  $-\infty$

Right End Behavior  $\infty$

Odd/Even/Neither

x-intercepts  $(0, 0)$

y-intercepts  $(0, 0)$

Maximum *none*

Minimum *none*

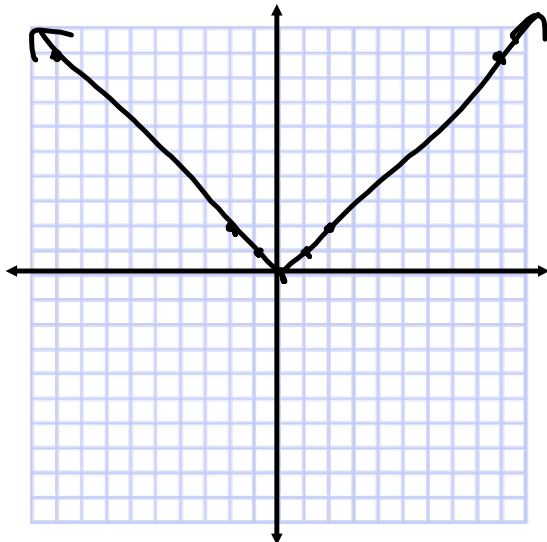
One-to-One *yes*

Asymptotes/

Discontinuities *none*

# Absolute Value

Equation:  $f(x) = |x|$



$f(x) = |x|$

x	y
-2	2
-1	1
0	0
1	1
2	2

Domain  $(-\infty, \infty)$

Range  $[0, \infty)$

Increasing  $[0, \infty)$

Decreasing  $(-\infty, 0]$

Left End Behavior  $\infty$

Right End Behavior  $\infty$

Odd/Even/Neither

x-intercepts  $(0, 0)$

y-intercepts  $(0, 0)$

Maximum none

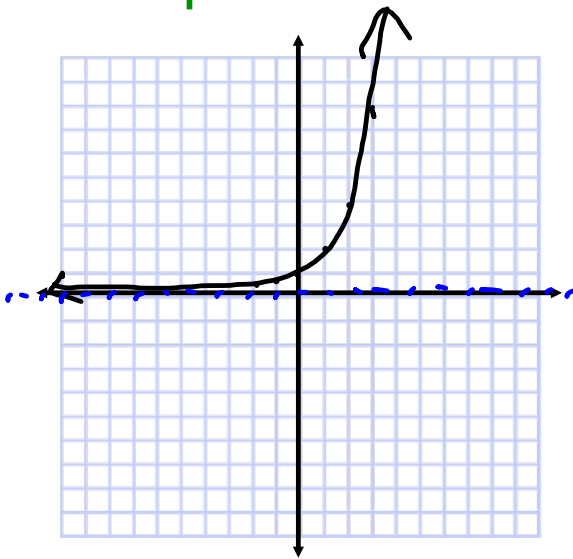
Minimum  $(0, 0)$

One-to-One no

Asymptotes/ no

Discontinuities

## Exponential



Equation:  $f(x) = 2^x$

Domain  $(-\infty, \infty)$ Range  $(0, \infty)$ Increasing  $(-\infty, \infty)$ 

Decreasing NA

Left End Behavior 0

Right End Behavior  $\infty$ 

Odd/Even/Neither

x-intercepts NA

y-intercepts  $(0, 1)$ 

Maximum NA

Minimum NA

One-to-One yes

Asymptotes/  $y = 0$ 

Discontinuities

$$f(x) = 2^x$$

x	y
-2	$\frac{1}{4}$
-1	$\frac{1}{2}$
0	1
1	2
2	4
3	8

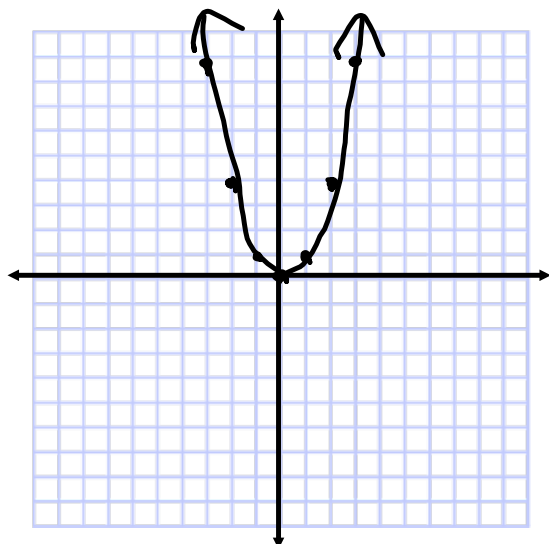
$$2^{-2} = \frac{1}{2^2} = \frac{1}{4}$$

$$2^{-1} = \frac{1}{2^1} = \frac{1}{2}$$

$$2^0 = 1$$

$$2^3 = 2 \cdot 2 \cdot 2 = 8$$

## Quadratic



$$f(x) = x^2$$

x	y
-2	4
-1	1
0	0
1	1
2	4

Equation:  $f(x) = x^2$

Domain  $(-\infty, \infty)$

Range  $[0, \infty)$

Increasing  $[0, \infty)$

Decreasing  $(-\infty, 0]$

Left End Behavior  $y \rightarrow \infty$

Right End Behavior  $y \rightarrow \infty$

Odd/Even/Neither **Even**

x-intercepts  $(0, 0)$

y-intercepts  $(0, 0)$

Maximum **None**

Minimum  $(0, 0)$

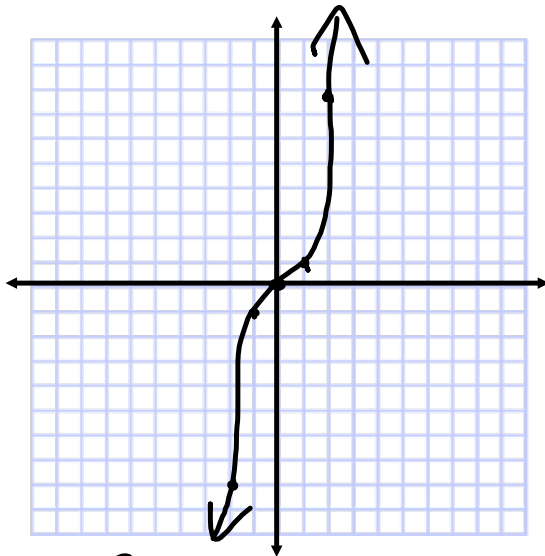
One-to-One **NO**

Asymptotes/ **NONE**

Discontinuities

$$-2^2 = -2 \cdot -2 = 4$$

# Cubic



$f(x) = x^3$

x	y
-2	-8
-1	-1
0	0
1	1
2	8

Equation:  $f(x) = x^3$

Domain  $(-\infty, \infty)$

Range  $(-\infty, \infty)$

Increasing  $(-\infty, \infty)$

Decreasing None

Left End Behavior  $-\infty$

Right End Behavior  $\infty$

Odd/Even/Neither odd

x-intercepts  $(0,0)$

y-intercepts  $(0,0)$

Maximum

Minimum None

One-to-One yes

Asymptotes/ None

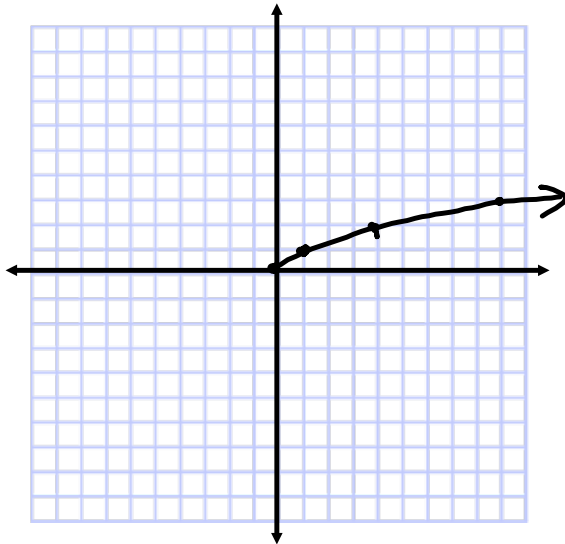
Discontinuities

$$-2^3 = \underbrace{-2 \cdot -2 \cdot -2}_{4} = -8$$

$$-1^3 = +1 \cdot +1 \cdot -1 = -1$$

# Square Root

Equation:  $f(x) = \sqrt{x}$



$f(x) = \sqrt{x}$

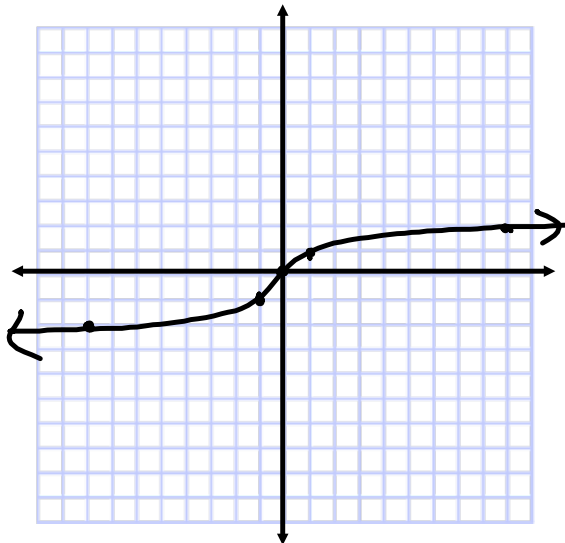
x	y
-1	imag.
0	0
4	2
9	3

- Domain  $[0, \infty)$
- Range  $[0, \infty)$
- Increasing  $[0, \infty)$
- Decreasing None
- Left End Behavior 0
- Right End Behavior  $\infty$
- Odd/Even/Neither Neither
- x-intercepts  $(0, 0)$
- y-intercepts  $(0, 0)$
- Maximum None
- Minimum  $(0, 0)$
- One-to-One yes
- Asymptotes/ None
- Discontinuities

$\sqrt{-1} = i$

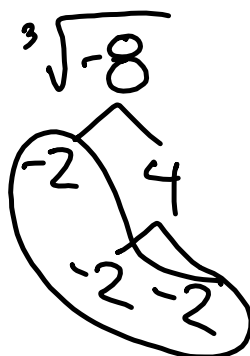
# Cube Root

Equation:  $f(x) = \sqrt[3]{x}$



x	y
-8	-2
-1	-1
0	0
1	1
8	2

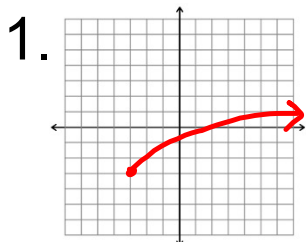
- Domain  $(-\infty, \infty)$
- Range  $(-\infty, \infty)$
- Increasing  $(-\infty, \infty)$
- Decreasing *Never*
- Left End Behavior  $-\infty$
- Right End Behavior  $\infty$
- Odd / Even / Neither
- x-intercepts  $(0, 0)$
- y-intercepts  $(0, 0)$
- Maximum *None*
- Minimum *None*
- One-to-One *yes*
- Asymptotes/ *None*
- Discontinuities



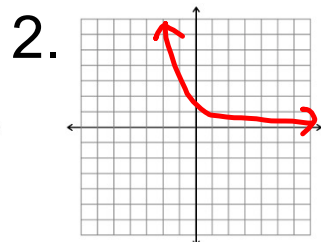


# Think-Pair-Share

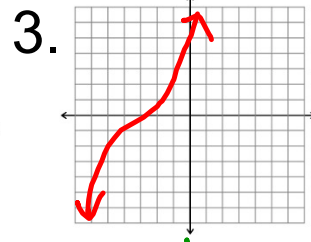
## Identify the parent graph



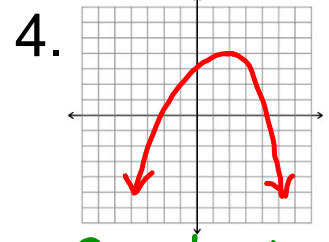
Sq. root



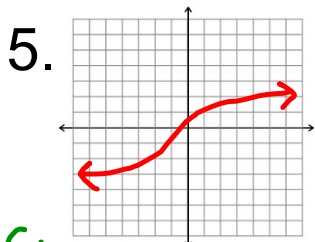
exp.



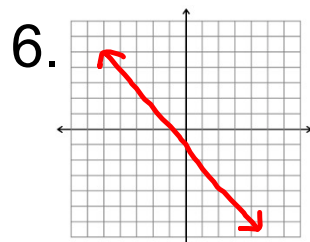
Cubic



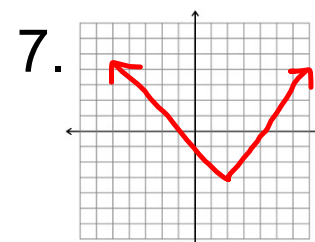
quadratic



Cube root



linear



abs val.