Notes 4-2 Definition of a Function

## Identifying Functions

a function is a relationship between $X$-values and $y$-values. It is a special type of equation where each $\boldsymbol{X}$ $\overline{\text { value is paired with exactly one } y \text {-value. The } x \text {-value is }}$ called an input and the $y$-value is called an output. This means there is exactly one output for each input and we can also say that each _X_ value is paired with exactly one - $\qquad$ value.
x input
5 output

## The Candy Machine



Function

Input Output


Not a Function


## Texting is..... MATH!

T-9 Texting represents a relation. Each button represents a few letters, or each input value

Keyboard Texting represents a function. One button represents one letter, or each input value relates to one output value.
function


Are the following relations functions? Why or why not?


$$
\{(\underline{2}, 1),(3,-2),(4,1),(5,-2)\} \quad(x, y)
$$

function, each $X$ has one $y$


We can use the Vertical line test to see if a graph represents a function.

If a vertical line intersects the graph more than once, then the graph is not a function. If it intersects the graph only once then the graph is a function.



Function


Not a Function


Function Notation

$$
\underset{f(x)=y}{f}
$$

$f(x)=$ means: the value of the function $f$ at $x$. $\mathrm{y}=$ means: the value of the equation at x .

Equation
Function Notation

$$
y=3 x-8
$$

$$
f(x)=3 x-8
$$

$$
\begin{array}{ll}
\text { Plug in the point }(1,-5) \text { to each example: } & (1,-5) \\
-5=3(1)-8) & -5=3(1)-8 \\
-5=-5 & -5=-5
\end{array}
$$

Write the following values in function notation $\quad f(x)$

| $x$ | 2 | 5 | 6 | 7 |
| :---: | :---: | :---: | :---: | :---: |
| input |  |  |  |  |
| $f(x)$ | -2 | 0 | 3 | 5 |
| $(2)=-2 f(5)=0$ | $f(6)=3 f(7)=5$ |  |  |  |

Given $f(-1)=3, f(0)=5, f(1)=7, f(2)=9$, write the relationship as a table of values.

$$
\begin{array}{c|c}
x & f(x) \\
\hline-1 & 3 \\
0 & 5 \\
1 & 7 \\
2 & 9
\end{array}
$$


30.


Pon'tyorget to
EXPLATN WHY!!!

