Another very important mathematical application of exponential functions is in finances.

When you deposit money in a bank you can earn interest on that money. Interest that is applied to the original amount, and any previously earned interest is called **compound interest**.

Equation for Compound Interest

$$A = P\left(1 + \frac{r}{n}\right)^{nt}$$

A is the Fina amount P is the principle amount (initial amount)

r is the annual interest rate (as a DECIMAL) t is the in years

n is the NUMBER: To change a rate or perent to a decimal I move the decimal point over places to the left.

Example 1: Identify the principal amount, annual interest rate, and the number of times the interest is compounded each year.

$$A = 2000 \left(1 + \frac{.032}{12}\right)^{6t}$$

$$A = 1500 \left(1 + \frac{.001}{6}\right)^{6t}$$

$$P = 1500$$

$$P =$$

Compounding...

Annually = _____ times per year Semi- annually = ____ times per year

Monthly = $\frac{1}{2}$ times per year Quarterly = $\frac{1}{2}$ times per year

Weekly = $\frac{52}{2}$ times per year Daily = $\frac{305}{2}$ times per year

Solving a compound interest problem -

- 1. Identify the principal amount invested (P)
- muserly
- 2. Identify how often the interest is compounded (n)
- 3. Identify the interest rate, then change to a decimal (\mathbf{r}) .
- 4. Plug in the above values into $A = P\left(1 + \frac{r}{n}\right)^{nt}$
- 5. Evaluate the expression. Don't forget the order of operations!! Parenthesis, exponents then multiplication!

Example 2: Maria's parents invested \$14.000 at 6% per year compounded monthly. How much money will there be in the account after 10 years?

1. Principal amount invested = $\begin{vmatrix} 4 & 000 \\ 12 & 000 \end{vmatrix}$ 2. how often interest is compounded = $\begin{vmatrix} 2 & 000 \\ 12 & 000 \end{vmatrix}$ 4. A = $\begin{vmatrix} 4 & 000 \\ 12 & 000 \end{vmatrix}$ 5. $\begin{vmatrix} 4 & 000 \\ 12 & 000 \end{vmatrix}$ 12. 10

14. $\begin{vmatrix} 4 & 000 \\ 12 & 000 \end{vmatrix}$ 15. $\begin{vmatrix} 4 & 000 \\ 12 & 000 \end{vmatrix}$ 16. $\begin{vmatrix} 4 & 000 \\ 12 & 000 \end{vmatrix}$ 17. SS

years.
$$A = P(1 + \frac{r}{h})^{n+1}$$
 .03.5%.
 $A = 300(1 + \frac{0.035}{12})^{12 \cdot 22}$
 $= 300(1 + (0.035/12)) A(12.5)$

Example 4: When Jing May was born, her grandparents invested \$1000 in a fixed rate savings account at a rate of 7% compounded annually. Jing May will receive the money when she turns 18 to help with her college expenses. What amount of money will Jing May receive from the investment?

$$1000 \left(1 + \frac{.07}{1}\right)^{(1.18)}$$

\$3,379.93